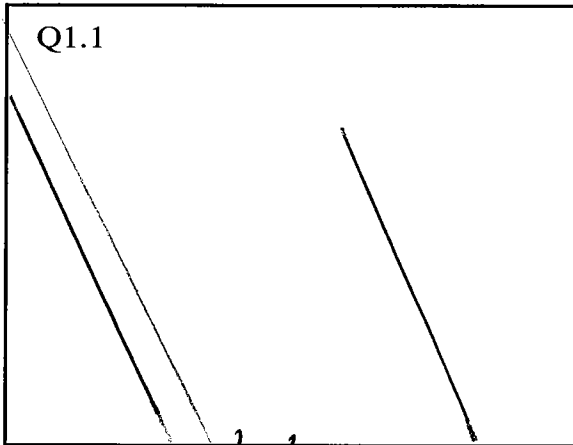


PHAR 7632 Spring 2004
Pharmacokinetics
OU HSC College of Pharmacy

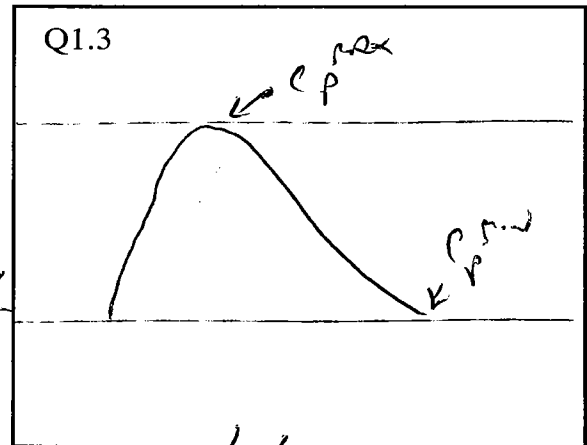
Final Exam

22nd April 2004

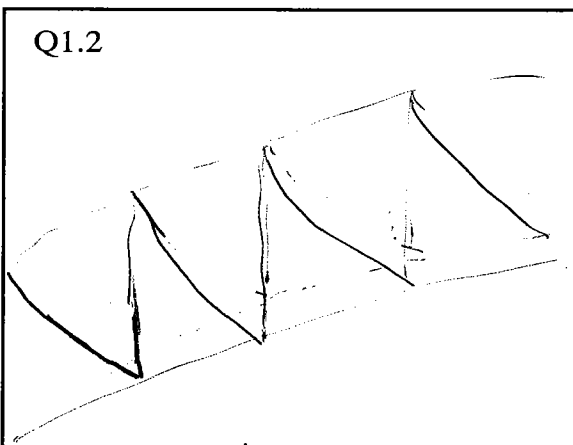
Section ONE. Sketch a Graph or Diagram—Sketch the graphs or diagrams requested in the space provided. Include any distinguishing characteristics. Assume that a linear one compartment model applies unless otherwise specified. **Include labels and units.** 4 x 6 = 24 points



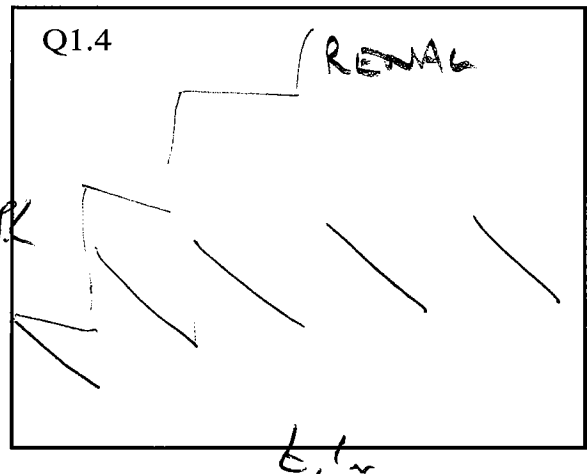
Q 1.1 A semi-log plot of drug concentration versus time after two independent IV bolus doses



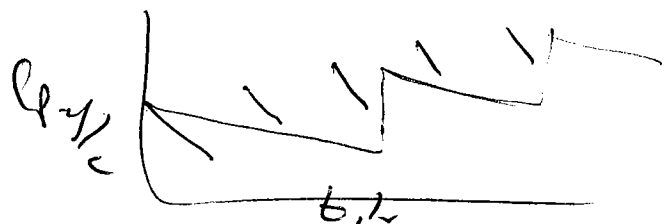
Q 1.3 A linear plot of Cp versus time for multiple oral doses showing Cp_{max} and Cp_{min}



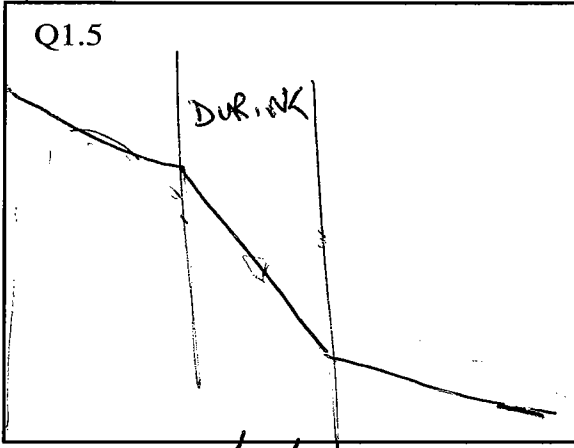
Q 1.2 A linear plot of Cp versus time showing doses every six hours, $t_{1/2} = 6$ hr



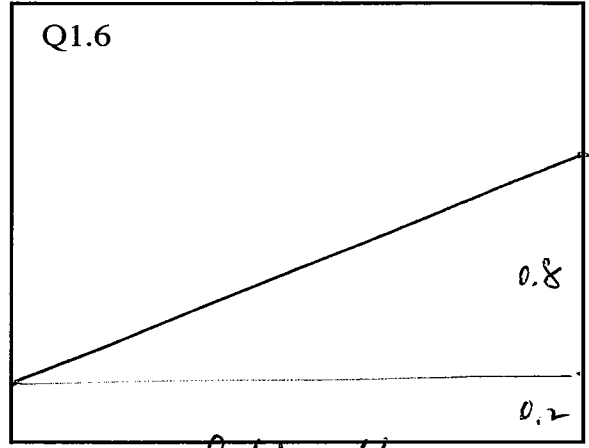
Q 1.4 A semi-log plot of Cp versus time after multiple IV bolus doses to two patients. One with normal renal function and one with poor renal function. Label each.



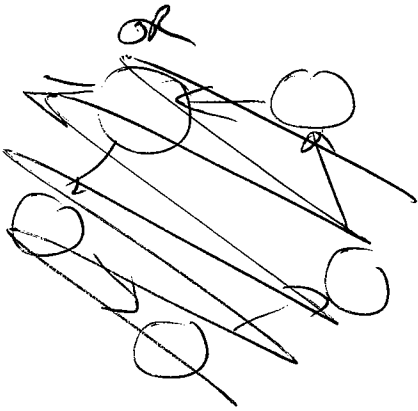
C_p
mg/L



Q 1.5 A plot illustrating C_p before, during and after hemodialysis



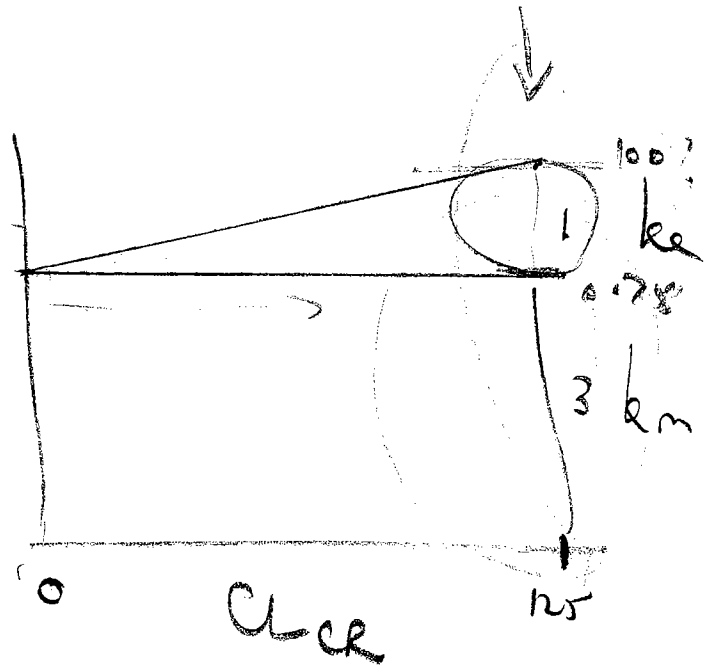
Q 1.6 Draw a Dettli plot for a drug where $f_e = 0.8$



$k = 0.25$

k_{el}

- ① Bed line
- ② Through origin



Section TWO. True/False—Check the Correct Response.

8 x 2 = 16 points

Q 2.1 The sublingual ROA is convenient for larger doses

True False

Q 2.2 The time it takes for plasma concentrations to reach steady state after repeated IV doses is dependent on the dosing interval and not on any characteristic of the drug such as volume of distribution or elimination rate constant

True False

Q 2.3 At steady state (during equal dose, equal interval multiple dose administration) accumulation stops because the amount of drug eliminated during the dosing interval is the same as the dose given at each dose time

True False

Q 2.4 If you double the dose AND the dosing interval the calculated average drug concentration will be unchanged

True False

Q 2.5 The average plasma concentration calculated at steady state after a large number of uniform oral doses given with uniform dosing interval is dependent of the elimination rate constant

True False

Q 2.6 Two properties of a drug which will improve the extent of removal by hemodialysis are good water solubility and a small apparent volume of distribution

True False

Q 2.7 A Dettli plot that passes through the origin indicates that the drug is excreted entirely as metabolized drug

True False

Q 2.8 Appropriate units for the apparent volume of distribution are L/hr

True False

-----00000-----

Section THREE Calculations

This section = 60 points

Show all your work for full credit. All material not deleted or crossed-out will be considered for grading. **Put labels and units on all requested graphs.**

Q 3.1 (16 points) A potent drug is to be given by multiple IV bolus injections. On consideration of the patient's clinical condition it is decided that drug concentrations should be maintained close to but below 15 and 2 mg/L. Assume a one compartment linear model applies to this drug in this concentration range. The k_{el} and V for this drug in this patient (74.7 kg) are 0.231 hr^{-1} and 0.68 L/kg , respectively. Calculate the dosing interval which will exactly achieve this concentration requirement. Round this dosing interval to the nearest, appropriate multiple of 2 hour. Recalculate the accumulation factor (R') and estimate an appropriate loading and maintenance dose (rounding to the nearest appropriate 10 mg). Finally, check your answer by estimating $C_{p_{max}}$ and $C_{p_{min}}$.

$$R = \frac{2}{15} = 0.1333 = e^{-k_{el} \cdot \tau} = e^{-0.231 \times \tau}$$

$$V = 0.68 \times 74.7 = 50.806$$

$$-2.015 = 0.231 \times \tau$$

$$\tau = 8.72 \text{ hr}$$

$$\tau' = 10 \text{ hr}$$

$$R' = e^{-0.231 \times 10} = 0.09926$$

$$LD = C_{p_{max}} \times V = 15 \times 50.80 = 762 \text{ mg}$$

$$LD' = 760 \text{ mg}$$

$$C_{p_{max}} = 14.96 \text{ mg/L} \approx 15 \text{ mg/L}$$

$$M.D. = C_{p_{max}} \cdot V \cdot (1 - R) = 15 \times 50.8 \times (1 - 0.09926) = 686 \text{ mg}$$

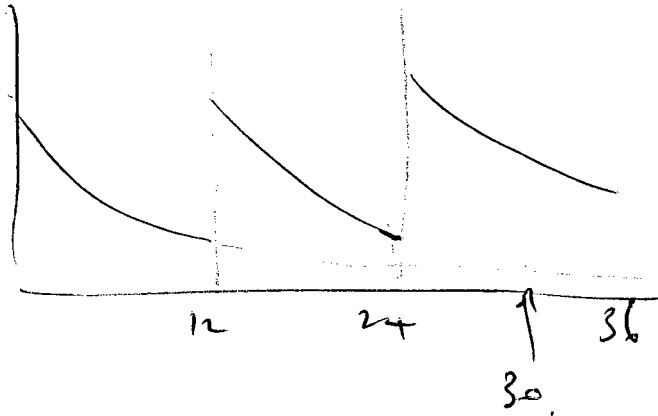
$$M.D' = 680 \text{ mg}$$

$$C_{p_{max}} = \frac{680}{50.8 \times (1 - 0.09926)} = 14.86 \text{ mg/L}$$

$$C_{p_{min}} = C_{p_{max}} \times R = 1.475 \text{ mg/L}$$

BAD CALC (1)
 PER ANSWER (2)
 ROUND (2)

Q 3.2 (10 points) A patient is started on a drug at an IV bolus dose of 500 mg every 12 hours. Assume a one compartment linear model applies to this drug in this concentration range. The half-life and V for this drug in this patient (84.6 kg) are 1.6 hr and 0.56 L/kg, respectively. Calculate the expected drug concentration 30 hours after the first dose.



$$V = 47.38 \text{ L}$$

$$k_{el} = 0.4332 \text{ h}^{-1}$$

$$n = 3 \quad t = 6$$

$$\tau = 12$$

$$t = 30$$

$$0.0000239$$

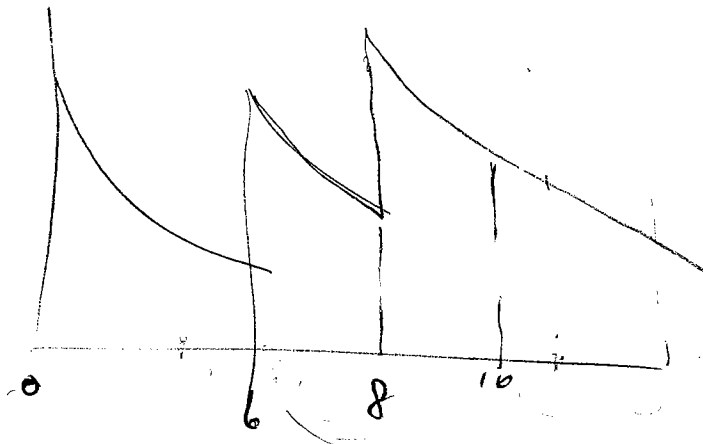
$$C_p = \frac{\text{Dose}}{V} \left[\frac{1 - e^{-n \cdot k_{el} \cdot \tau}}{1 - e^{-k_{el} \cdot \tau}} \right] e^{-k_{el} \cdot t}$$

$$= \frac{500}{47.38} \left[\frac{1 - e^{-3 \times 0.4332 \times 12}}{1 - e^{-0.4332 \times 12}} \right] e^{-0.4332 \times 6}$$

$$= 10.55 \times \frac{1.0}{0.9945} \times 0.07433$$

$$= 0.789 \text{ mg/L}$$

Q 3.3 (10 points) A patient is started on a drug at an IV bolus dose of 25 mg every 4 hours. Assume a one compartment linear model applies to this drug in this concentration range. The half-life and V for this drug in this patient (90.5 kg) are 2.7 hr and 0.26 L/kg, respectively. Calculate the expected drug concentration 10 hours after the first dose if the second dose was given at 6 hours instead of the scheduled dose time.



$$V = 23.53 \text{ L}$$

$$k_{el} = 0.2567 \text{ h}^{-1}$$

$$C_p = C_{p1}^{10} + C_{p2}^4 + C_{p3}^2$$

$$= \frac{25}{23.53} \times e^{-0.2567 \times 10} = 0.08156$$

$$+ \frac{25}{23.53} \times e^{-0.2567 \times 4} = 0.3805$$

$$+ \frac{25}{23.53} \times e^{-0.2567 \times 2} = 0.6358$$

$$C_p = 0.08156 + 0.3805 + 0.6358$$

$$= 1.098 \text{ } \mu\text{g/L}$$

NO THIRD DOSE

(-4)

EXPLANATION

(-2)

AFTER THIRD DOSE @

10 HR

(-4) EX (-2)

UNIFORM EX

-8

Q 3.4 (14 points) A female patient is to receive Drug8 and it is known that the elimination of this drug depends on renal function. This patient is 50.7 kg (111.5 pound), 145 cm (57.1 inches) height and 45 years old. The measured serum creatinine was 1.08 mg/dl. Calculate the creatinine clearance for this patient using the Cockcroft and Gault equation. (Note: Use ideal body weight if less than actual body weight). Once you have calculated the creatinine clearance for this patient estimate the expected elimination rate constant for Drug8 in this patient.

A previous study with Drug8 resulted in the following data.

k_{el}	$t_{1/2}$ (hr)	Creatinine Clearance (ml/min)
0.093	7.47	10
0.252	2.75	50
0.528	1.31	120

$$IBW = 45.5 + 2.3 \times (57.1 - 60)$$

$$= 38.83 \text{ kg} \quad \Leftarrow$$

$$CrCl = \frac{(140 - 45) \times 38.83}{72 \times 1.08} \times 0.85$$

$$= 40.3 \text{ ml/min}$$

k_{el}

$$= 0.212 \text{ h}^{-1}$$

Handwritten notes:

- 52.6 ml/min
- 3
- 0.093
- 2.75

Q 3.5 (10 points) A drug is to be given by multiple oral doses every 12 hr. After consideration of the patient's clinical condition it is decided that the average drug concentrations should be maintained at 6 mg/L. Assume a one compartment linear model applies to this drug in this concentration range. For this dosage form and patient the bioavailability is 0.88 and the absorption rate constant is 1.41 hr⁻¹. The half-life and V for this drug in this patient are 5.9 hr and 48 L, respectively. Calculate the dose which will achieve this average concentration of 6 mg/L.

$$\tau = 12 \text{ hr}$$

$$\bar{C}_p = 6 \text{ mg/L}$$

$$F = 0.88$$

$$k_a = 1.41 \text{ hr}^{-1}$$

$$k_{el} = 0.1175 \text{ hr}^{-1}$$

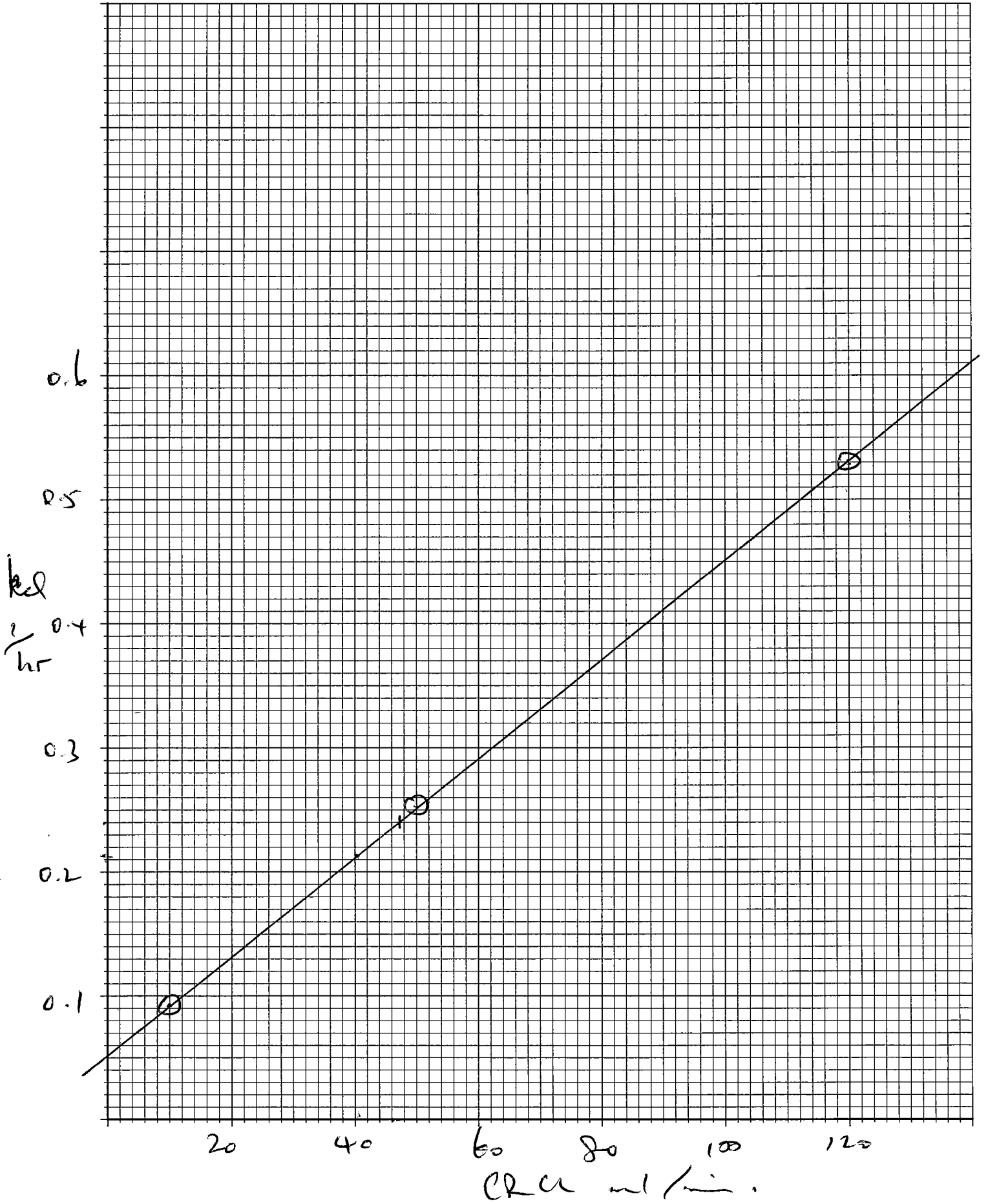
$$V = 48 \text{ L}$$

$$\begin{aligned} \text{Dose} &= \frac{\bar{C}_p \cdot k_{el} \cdot V \cdot \tau}{F} \\ &= \frac{6 \times 0.1175 \times 48 \times 12}{0.88} \end{aligned}$$

$$= 461 \text{ mg}$$

WRONG ANSWER
 8
 5

Linear inch



The Equations

$C_p = \frac{\text{Dose}}{V} \cdot e^{-kel \cdot t}$	$\frac{dM}{dt} = -\frac{D \cdot A \cdot (Ch - Cl)}{X}$
$C_p = \frac{k_0}{kel \cdot V} \cdot [1 - e^{-kel \cdot T}] \cdot e^{-kel \cdot (t-T)}$	$CL_L = \frac{Q_L \cdot (Ca - Cv)}{Ca} = Q_L \cdot E$
$C_p = \frac{F \cdot \text{Dose} \cdot ka}{V \cdot (ka - kel)} \cdot [e^{-kel \cdot t} - e^{-ka \cdot t}]$	$CL = \frac{Q \cdot fu \cdot CL_{int}}{Q + fu \cdot CL_{int}}$
$t_{max} = \frac{1}{ka - kel} \cdot \ln \frac{ka}{kel}$	$\alpha + \beta = kel + k_{12} + k_{21} \text{ and}$ $\alpha \cdot \beta = kel \cdot k_{21}$
$\frac{A}{V} = C_p + kel \cdot \int_0^t C_p \cdot dt$	$k_{21} = \frac{A \cdot \beta + B \cdot \alpha}{A + B} \quad \left \quad kel = \frac{\alpha \cdot \beta}{k_{21}}\right.$
$AUMC^{last} = \frac{C_p^{last} \cdot t^{last}}{k} + \frac{C_p^{last}}{k^2}$	$V_1 = \frac{\text{Dose}}{A + B} \quad \left \quad V_{area} = \frac{\text{Dose}}{\beta \cdot AUC}\right.$
$pKa - pH = \log \frac{[HA]}{[A^-]}$	$\text{Area} = \left(\frac{C_1 + C_2}{2} \right) \times (t_2 - t_1)$
$\frac{F^A}{F^B} = \frac{\text{Dose}^B \cdot kel^A \cdot V^A \cdot AUC^A}{\text{Dose}^A \cdot kel^B \cdot V^B \cdot AUC^B}$	$V_{extrap} = \frac{\text{Dose}}{B} \quad \left \quad AUC^{last} = \frac{C_p^{last}}{k}\right.$
$kel = knr + a \cdot CL_{CR}$	$CL = \beta \cdot V_{area}$
$D = \frac{\text{Total in blood}}{\text{Total in GI tract}}$	$V_{ss} = V_1 \cdot \frac{k_{12} + k_{21}}{k_{21}}$
$CL_{CR} = \frac{(140 - \text{age}) \cdot Wt(\text{kg})}{72 \cdot S_{CR}} \cdot 0.85$	$MRT = \frac{AUMC}{AUC} \quad \left \quad k = \frac{1}{MRT}\right.$
$\text{Slope} = \frac{\ln C_{p1} - \ln C_{p2}}{t_1 - t_2} \quad \left \quad \tau = \frac{\text{Dose} \cdot F}{C_p \cdot V \cdot kel}\right.$	$CL = \frac{\text{Dose}}{AUC} \quad \left \quad ka = \frac{1}{MAT}\right.$
$C_{Pmax} = \frac{\text{Dose}}{V \cdot (1 - R)}$	$MAT = MRT(po) - MRT(iv)$
$C_{Pmin} = C_{Pmax} \cdot R$	$R = \frac{V_m \cdot C_p}{K_m + C_p} \quad \left \quad CL = kel \cdot V_1\right.$
$C_{P1}^t = \frac{\text{Dose}}{V} \cdot \left[\frac{1 - e^{-n \cdot kel \cdot \tau}}{1 - e^{-kel \cdot \tau}} \right] \cdot e^{-kel \cdot t}$	$C_p = A \cdot e^{-\alpha \cdot t} + B \cdot e^{-\beta \cdot t}$
$C_{Pmin} = \frac{F \cdot \text{Dose} \cdot ka}{V \cdot (ka - kel)} \cdot \left[\frac{e^{-kel \cdot \tau}}{1 - e^{-kel \cdot \tau}} \right]$	$R = e^{-kel \cdot \tau}$
$C_{Pmin} = \frac{F \cdot \text{Dose}}{V} \cdot \left[\frac{e^{-kel \cdot \tau}}{1 - e^{-kel \cdot \tau}} \right]$	$V_{ss} = CL \cdot MRT$
	$pKa - pH = \log \frac{[U]}{[I]} = \log \frac{[HB^+]}{[B]}$
	$pKa - pH = \log \frac{[U]}{[I]} = \log \frac{[HA]}{[A^-]}$

$$\alpha = \frac{(\text{kel} + k_{12} + k_{21}) + \sqrt{(\text{kel} + k_{12} + k_{21})^2 - 4 \cdot \text{kel} \cdot k_{21}}}{2}$$

$$\beta = \frac{(\text{kel} + k_{12} + k_{21}) - \sqrt{(\text{kel} + k_{12} + k_{21})^2 - 4 \cdot \text{kel} \cdot k_{21}}}{2}$$

$$\text{IBW(male)}(\text{Kg}) = 50 + 2.3x(\text{Ht}(\text{in}) - 60)$$

$$\text{IBW(female)}(\text{Kg}) = 45.5 + 2.3x(\text{Ht}(\text{in}) - 60)$$

$$A = \frac{\text{Dose} \cdot (\alpha - k_{21})}{V_1 \cdot (\alpha - \beta)}$$

$$B = \frac{\text{Dose} \cdot (k_{21} - \beta)}{V_1 \cdot (\alpha - \beta)}$$

$$CL = \text{kel} \cdot V$$

$$k_{12} = \alpha + \beta - \text{kel} - k_{21}$$

$$V_{\text{area}} = \frac{V_1 \cdot \text{kel}}{\beta}$$

$$C_{p_{\text{late}}} = B \cdot e^{-\beta \cdot t}$$

$$V_m = \frac{DR_1 \cdot DR_2 \cdot (C_2 - C_1)}{(DR_1 \cdot C_2 - DR_2 \cdot C_1)}$$

$$K_m = \frac{V_m \cdot C_1 - DR_1 \cdot C_1}{DR_1}$$

$$CrCl = \frac{U_{Cr} \cdot V_u}{S_{Cr} \cdot t}$$